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Gauge Links & Process dependence in Hadronic Reactions Leonard Gamberg Penn State University

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We study the single transverse spin asymmetries in the single inclusive particle production within the framework of the generalized parton model (GPM). By carefully analyzing the initial- and final-state interactions, we include the process-dependence of the Sivers functions into the GPM formalism. The modified GPM formalism has a close connection with the collinear twist-3 approach. Within the new formalism, we make predictions for inclusive π^0 and direct photon productions at RHIC energies. Also we consider the Sivers asymmetry from the cross section for $p^{\uparrow} p \longrightarrow h_1 \operatorname{jet} X$ (w/ D'lesio, Murgia & Pisano). We find the predictions are opposite to those in the conventional GPM approach.

Spin Dependent Cross Section in GPM $pp \to \pi X$

$$f_{q/A^{\uparrow}}(x,\vec{k}_{T}) = f_{q/A}(x,k_{T}^{2}) \, + \, \frac{1}{2}\Delta^{N}f_{q/A^{\uparrow}}(x,k_{T}^{2})\vec{S} \cdot (\hat{P} \times \vec{k}_{T})$$

 A_N is defined by the ratio

$$A_N \equiv E_h \frac{d\Delta\sigma}{d^3 P_h} / E_h \frac{d\sigma}{d^3 P_h}.$$

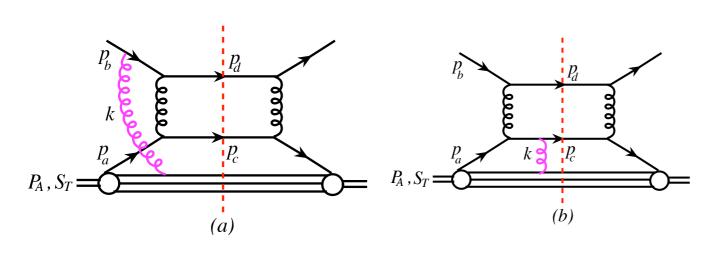
$$E_h \frac{d\Delta\sigma}{d^3P_h} = \frac{\alpha_s^2}{S} \sum_{a,b,c} \int \frac{dx_a}{x_a} d^2k_{aT} \Delta^N f_{a/A}(x_a,k_{aT}) \frac{1}{2} S_A \cdot (\hat{P}_A \times \hat{k}_{aT}) \int \frac{dx_b}{x_b} d^2k_{bT} f_{b/B}(x_b,k_{bT}) \\ \times \int \frac{dz_c}{z_c^2} D_{h/c}(z_c) H^U_{ab \to c}(\hat{s},\hat{t},\hat{u}) \delta(\hat{s} + \hat{t} + \hat{u}), \qquad \qquad \textbf{GPM Anselmino et al.}$$

$$E_{h} \frac{d\Delta\sigma}{d^{3}P_{h}} \ = \ \frac{\alpha_{s}^{2}}{S} \sum_{a,b,c} \int \frac{dx_{a}}{x_{a}} d^{2}k_{aT} \Delta^{N} f_{a/A}^{ab\to c}(x_{a},k_{aT}) \frac{1}{2} S_{A} \cdot (\hat{P}_{A} \times \hat{k}_{aT}) \int \frac{dx_{b}}{x_{b}} d^{2}k_{bT} f_{b/B}(x_{b},k_{bT}) \\ \times \int \frac{dz_{c}}{z_{c}^{2}} D_{h/c}(z_{c}) H_{ab\to c}^{U}(\hat{s},\hat{t},\hat{u}) \delta(\hat{s}+\hat{t}+\hat{u}),$$
 GPM w/color LG & Z. Kang Phys.Lett. B696 2011

process-dependent Sivers function denoted as $\Delta^N f_{a/A}^{ab\to c}(x_a, k_{aT})$

how to get it?

One gluon exchange approx for ISI and FSI $qq' \rightarrow qq'$

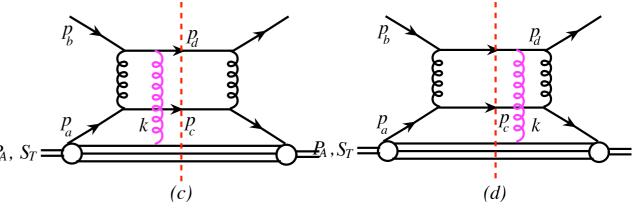


$$\left[\frac{-g}{-k^{+} - i\epsilon}T^{a}\right] \qquad \left[\frac{g}{-k^{+} + i\epsilon}T^{a}\right]$$

$$C_I = -\frac{1}{2N_c^2},$$

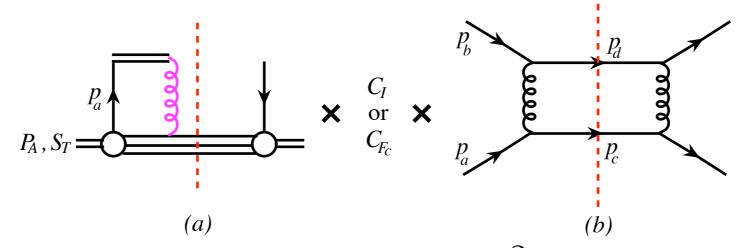
$$\left[\frac{g}{-k^+ + i\epsilon}T^a\right]$$

$$C_{F_c} = -\frac{1}{4N_c^2},$$



interaction w/unobserved particle "d" vanishes after summing over both cuts

calculate color factors

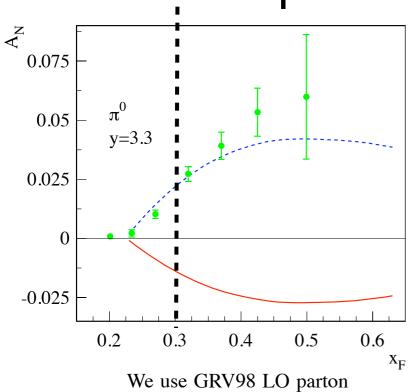


Note unpolarized color factor

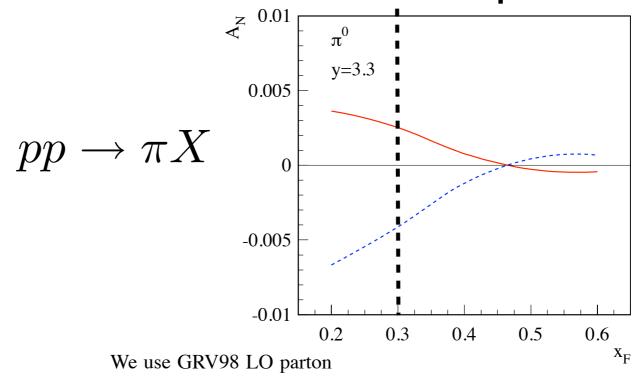
$$C_u = \frac{N_c^2 - 1}{4N_c^2}$$

Based on old parameterization

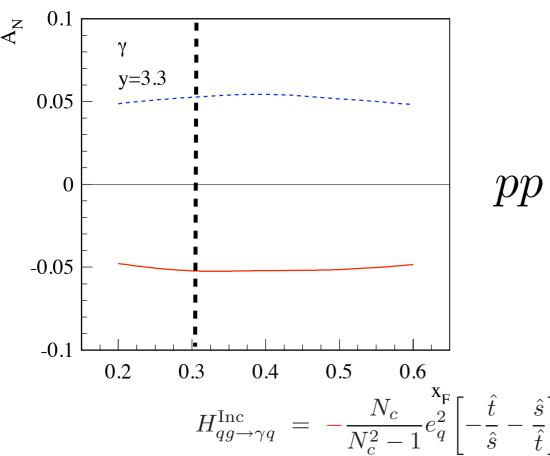
Based on new parameterization

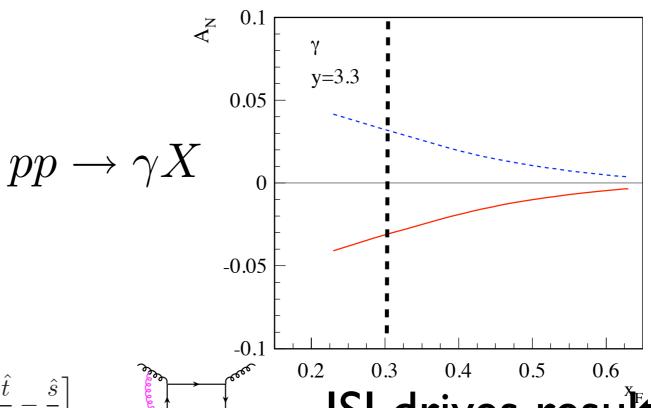


the old Sivers function from [4], and Kretzer fragmentation function [5].

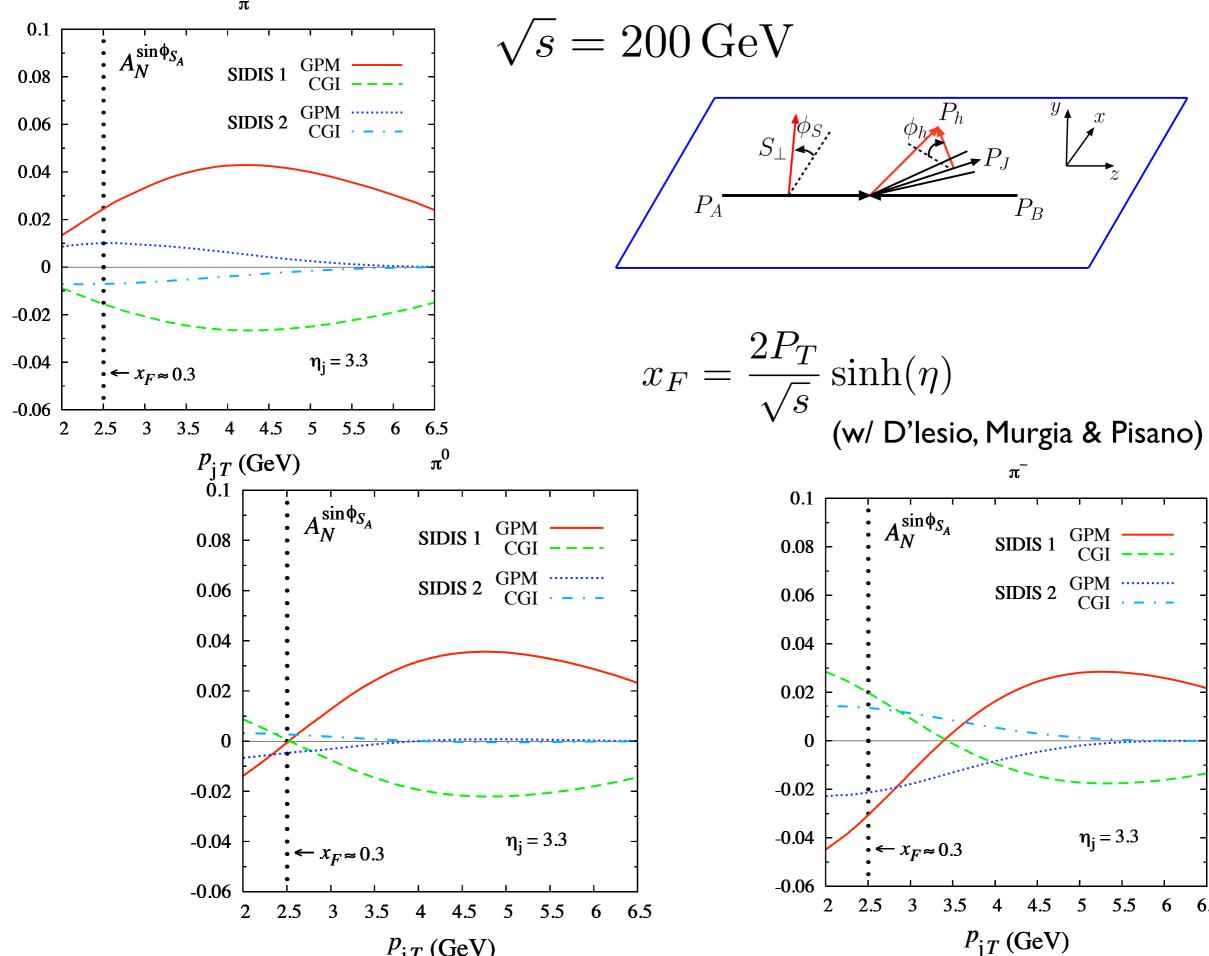


, the latest Sivers function from [2], and DSS fragmentation function [3].





Azimuthal asymmetries for hadron distributions inside a jet in hadronic collisions



Implementing a k_T expansion collinear twist three expression emerges

$$E_h \frac{d\Delta\sigma}{d^3 P_h} = \frac{\alpha_s^2}{s} \sum_{abc} \int \frac{dz_c}{z_c^2} D_{h/c}(z_c) \frac{\epsilon^{P_h S_T n \bar{n}}}{z_c \tilde{u}} \frac{1}{x} (T_F(x, x) - x \frac{d}{dx} T_F(x, x))$$

$$\times \int \frac{dx_b}{x_b} f_{b/B}(x_b) \int H_{ab \to c}^{\text{Inc}}(\tilde{s}, \tilde{t}, \tilde{u}) \frac{1}{x_b s + T/z_c}$$

same as Kouvaris, Qiu, Vogelsang, and Yuan PRD 2006

• Twist 3 and twist 2 approach connection we have another termcomes from $H_{ab\to c}^{Inc}(\hat{s}, \hat{t}, \hat{u})$

Conclusions

- Generalize GPM w/ color--can then perform global analysis
- Elephant in the room is break down of factorization for these processes
- Appears to be connection between generalized parton model at twist 3 and twist 3 approach
- Estimate mismatch-investigating LG Z. Kang
- TMD fact. is assumed in both GPM and GGPM is this a reasonable pheno. approximation?
- Direct photon driven by same ISI factor as in DY